1/6 DANID C PARICES ET AL YDR9-2001-DS31 (RPT) 8728-535

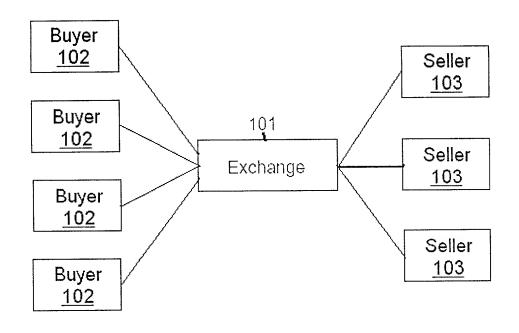


Figure 1

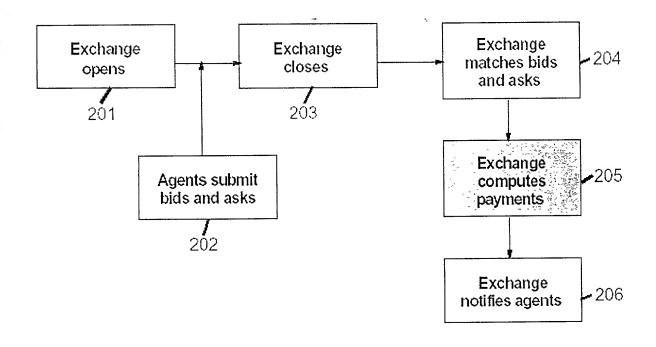


Figure 2

2/6 4019-2001-0531 (8128-535)

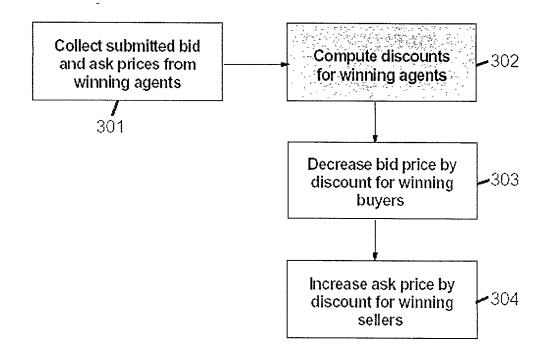


Figure 3

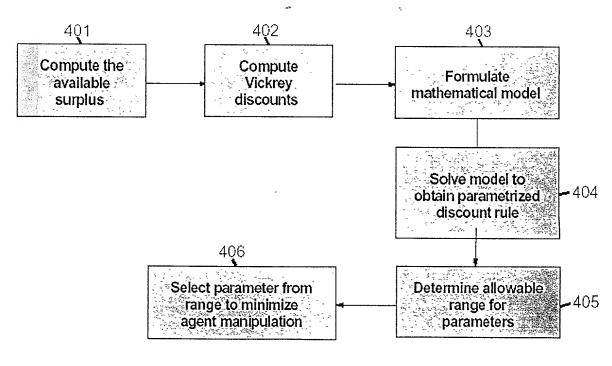


Figure 4

3/6 YDR9-2001-0531L8728,535)

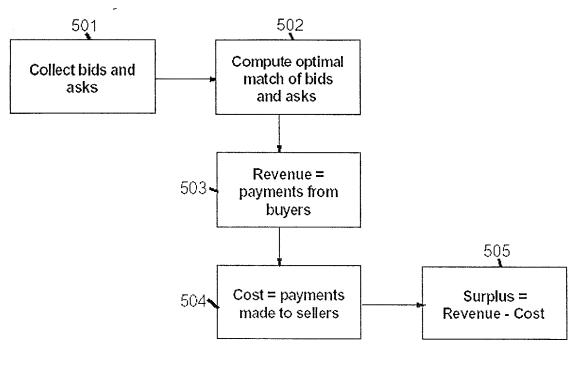


Figure 5

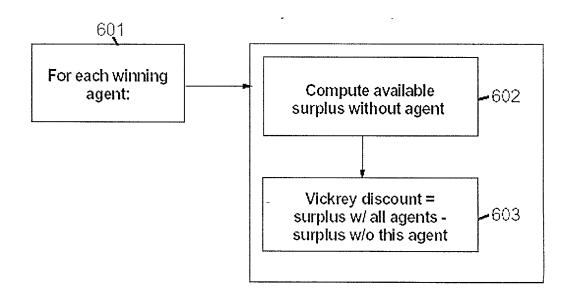


Figure 6

4 16 4029-2001-0531 (8728-535)

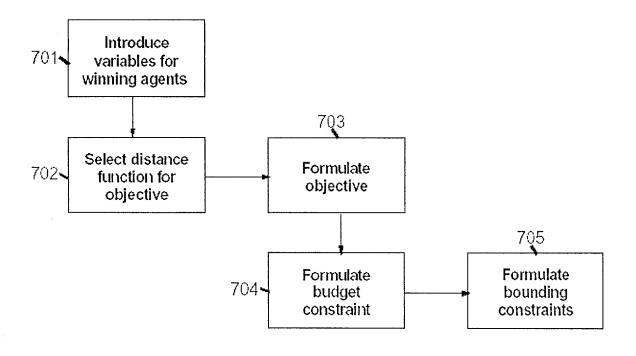


Figure 7

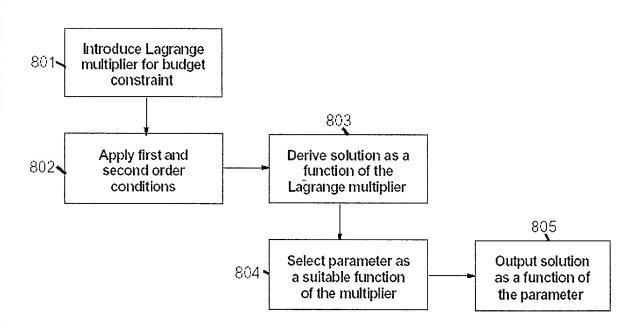


Figure 8

5/6 1079-2001-0531 (8728-535)

	Distance functions		Payment rules
<i>L</i> ₂	$L_2(\chi,\chi^{\Gamma}) = (\sum_I (\chi_I^{\Gamma} - \chi_I)^2)^{1/2}$	Threshold	$\max\{0,\Lambda\} = C), C \ge 0$
L_{∞}	$L_{\infty}(X, X^{\Gamma}) = \max_{I} X_{I}^{\Gamma} - X_{I} $	Threshold	$\max(0, \sqrt{-C}), C \ge 0$
Relative error	$L_{RE}(\chi,\chi^T\rangle = \sum_{I}(\chi_I^T - \chi_I)/ \chi_I^T $	Small	\sqrt{f} if $\sqrt{f} \subseteq C$, $ C \subseteq 0 $
Producterror	$L_{\pi}(\Lambda, \Lambda^{F}) = \prod_{I \in \Lambda^{F}_{I} \cap \Lambda_{I}} \Lambda_{I}$	Reverse	$\min \left(\Delta_{i}^{\Gamma}, C\right), \ C \geq 0$
Squared relative error	$I_{RE2}(X, X^F) = \sum_{l} (X_l^F + X_l^F)^2 X_l^F$	Fractional	$\mu \sqrt{f}$, $0 \le \mu \le 1$
Weighted error	$L_{WE}(\Lambda, \Lambda^{T}) = \sum_{I} \Lambda^{T}(\Lambda f - \Lambda_{I}) $	Large	$\Delta \int \mathrm{d} f \Delta f \geq C, C \geq 0$

Figure 9

10R9-2001-DS51 (8728-535)

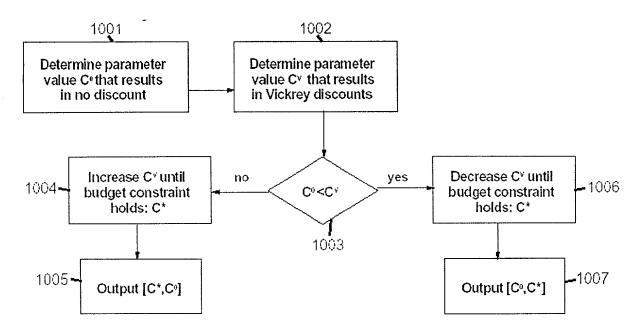


Figure 10

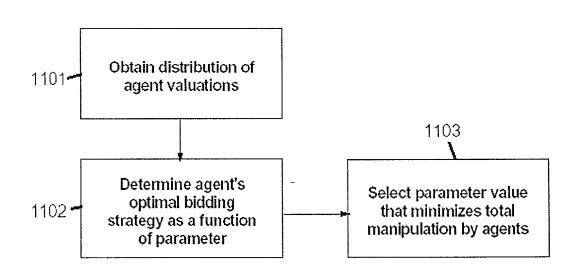


Figure 11